

= therefore, thus

BASIC GRAPHS 9/22/2023

visual representations of data

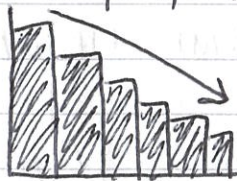
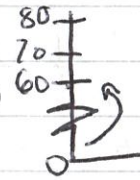
- pie chart
 - line graph
 - bar graph
- basic basic

- people will only look at it w/abt 7 seconds
- starts with TITLE
- ends with ANALYSIS

□ highs/lows/trends AND WHY did you get what you got

BAR GRAPHS

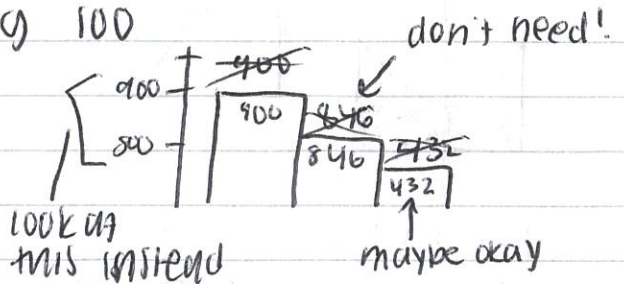
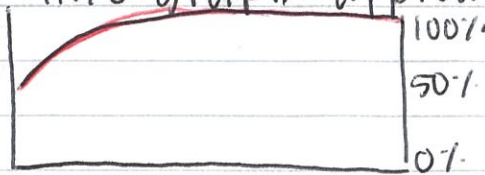
- categorical data
- can be | or —
- TITLE and label axis
- keep increments and width the same
- "sawtooth" - one time multipliers (can let you jump)
- pareto charts - vertical bar graphs arranged tall to small (always go down)



put number 10 —

NOT 10 —

- ogive - line graph approaching 100

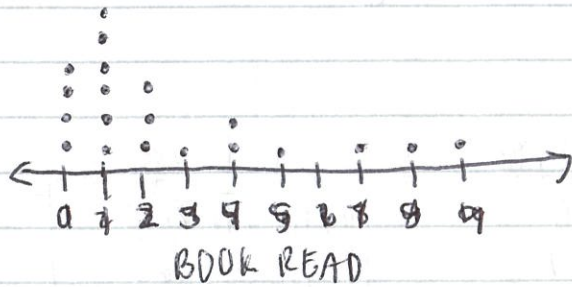


PIE CHARTS

- categorical data
- good for %
- circle or disc divided
- put # or % inside sector

EXAMPLE:

BOOKS READ LAST SUMMER



ANALYSIS:

~~center~~ center: 1.5 (median)

shape: skewed right

spread: cn. 3

outliers: none

HISTOGRAMS

- quantitative data

- width of bar has meaning

- large amounts of data

- shape helps us recognize patterns

- deviations can be hidden

□ specific data is hidden

- $w = \frac{\text{maximum} - \text{minimum}}{\# \text{ classes}}$ ~~*~~ always round up

classes

- usually don't start with 0; use lowest data then step by width

- use class limits ~ limit bars/ classes

hi-lo	44-14 = 30	class limits	Tally	Freq.	Relative Freq.
#	10	14-16		4	6/150
		17-19			
		20-22			
		23-25			
		26-28			
		29-31			
		32-			
		...			

mindy hippo me
last class to grab the remainder

1.4-1.6

AP Classroom ~~Notes~~ # 10/01/2023

representing a categorical variable with graphs:

Making bar charts:

- label axis (x-axis = variable name y-axis = freq/relative freq.)
- scale axis
- draw bars
 - equal width lengths
 - space between bars

pie charts:

- include legend/key
- relative frequencies are better when comparing tables with different proportions

frequency charts tables

- label axis
- scale axis
- draw bars
- add key

1.5 representing a quantitative variable with graphs

categorical variable - variable that takes values with names or labels

quantitative variable - variable with numerical value for a measured or counted quantity

- discrete - variable that can take on a countable # of values (w/ gaps) e.g. # of sibs
- continuous - can take infinitely values, but can't be counted (no gaps) e.g. height

Measures of Variation 10/09/23

Measures of Variation

Study Guide: pg 102-110

- one # may not represent an entire set of #'s well so, a (cross) reference is measuring the spread of data

- name 3 measures of variation

□ Range

□ Variance

□ Standard deviation σ

- provide advantages and disadvantages of the range

□ doesn't tell how much other values vary from each other or from the mean ~~X~~ doesn't tell much

□ tells the spread of the data ✓

- the measurement that helps us see how the data is different from the mean is standard deviation

- why divide by $n-1$ sometimes and by N other times

↳ sample standard deviation ↳ population standard deviation

- obtuse Ollie believes he has discovered an easier method for ex 6 (Bro) Blossom Greenhouse) $\sum (8 - 5.5)^2 / 7$

↳ median not mean

- compare and contrast sample and pop. formulas for the mean and standard deviation

$\sum \frac{1}{n}$ We deleted ~~numbers~~

STANDARD DEVIATION: $S = ?$ $S = \sqrt{\frac{\sum (X - \bar{X})^2}{n-1}}$

$X: 2, 4, 6, 8, 10$

$\bar{X}: 30/5 = 6$

$X - \bar{X}$	$(X - \bar{X})^2$
-4	16
-2	4
0	0
2	4
4	16

3.16 = S

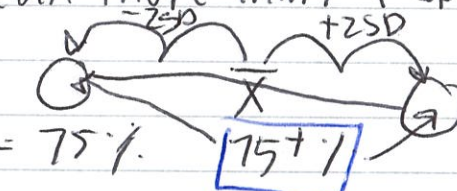
$\frac{16}{4} \div 4 = 10 = S^2$

Tab
 2.10 1.95 2.60 2.00 1.85 2.25 2.15 2.25
 $\mu = \$2.14$
 $\sigma = 0.22$

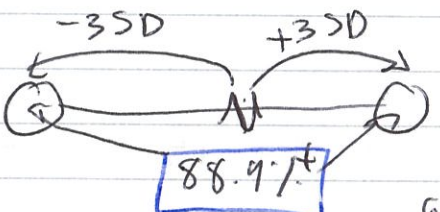
$$CV = \frac{\sigma}{\mu} = \frac{0.22}{2.14} = 0.1028 = 10.28\%$$

Chebyshev's Theorem

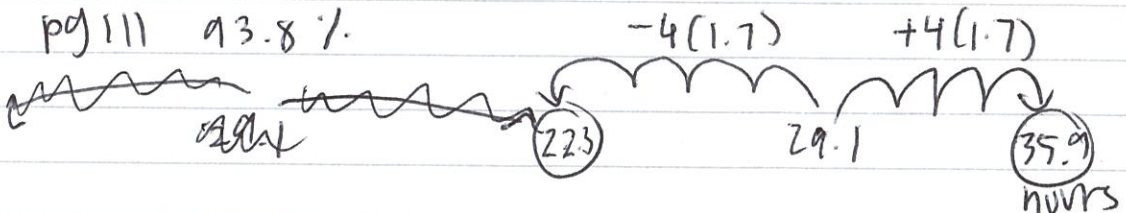
$1 - 1/k^2$ at least more than 1 SD
 2sd 3sd 4sd
 ex: $2 = k$
 $1 - \frac{1}{4} = 3/4 = 75\%$ 75%



ex: $k=3$
 $1 - \frac{1}{9} = 8/9 = 88.9\%$ 88.9%



8 pg 111 93.8% 6.8



22.3 29.1 35.9 hours

at least 93.8% of students would fit into the group that volun. from 22.3 to 29.1 hours each semester

Number summary & Box and Whisker Plot 10/11

$P_{99} = 99\%$ * * * * *

Q_1, Q_2, Q_3



P_{50} aka Median



At what age would you pass at?

MIN

① 7 10 14 14 20 21 (21 22 22 22 23 23 24) 24 (25 25 25 25 25 25) (26 26 27 27 28 28) (30)

MAX

* $Q_2 (P_{50}) = \text{median}$

* $Q_1 (P_{25}) = 21$ LQ

* IQR = $Q_3 - Q_1$

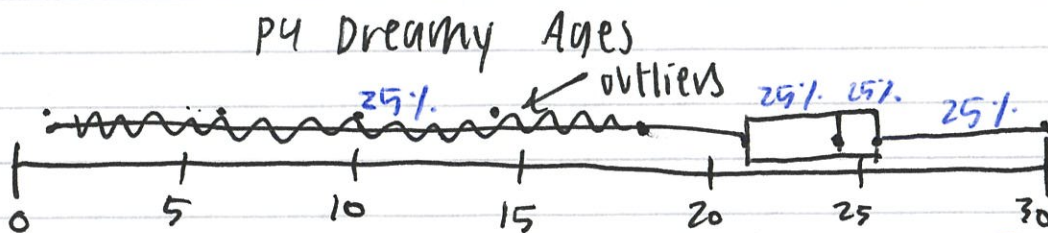
= $29.5 - 21 = 4.5$

* $Q_3 (P_{75}) = 29.5$ UQ

- mins the low and highs
- resistant to extremes

* 5 # summary: max, min, Q_1, Q_2, Q_3

Box and Whisker plot



ANA:

Center - 24 (median) rectangular

Shape - skewed low / symmetric uniform

Spread - 4.5 IQR "banded" tight / clumped

Outliers - 1, 7, 10, 14

$Q_3 \pm 1.5 (IQR)$ outliers

$29.5 + 1.5 (4.5)$

$29.5 + 6.75$

$29.5 - 1.5 (4.5)$

32.25

4 outliers \rightarrow 14.25

No outliers

CHAPTER 2

Midterm (1, 2, 3)
★ 10/17/2023

chapter 2 study guide 10/17

key concepts: Frequency distributions, histograms, etc.

FREQUENCY TABLES BASIC GRAPHS

Bar, Pie, Line, Pict

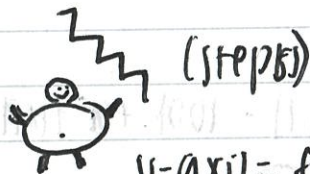
NECESSITIES / INFO:

- represents data visually, quickly, and understandably
- people only look at it for 7 seconds
- TITLE and (maybe) x/y axis titles
- ANALYSIS!

ANALYSIS:
High
LOW
Trends
Why?

BAR GRAPHS

- can compare multiple subjects
- categorical data
- equal increments
- same bar width
- X-axis = variable



y-axis = frequency

→ Pareto charts ~ bar graph from tallest to smallest



★ ★
Mulligan:
"sawgle"
(can skip big
gaps once)

CIRCLE (PIE) GRAPHS

- compare parts of a whole /100%
- categorical data
- #/100 inside slices OR use a key



← ignore

LINE GRAPHS

- equal increments
- connected dots
- only use sawgle at the start
- can have multiple lines to compare

~~CONJECTURE~~
★ CONJECTURE - cause / why smth
is happening

→ Time plots - type of line graph w/ x-axis as time!

PICTO GRAPHS

- cute symbols
- equal sized symbols that are simple
- full / partial symbols in a KEY

♥ = 50 miles

♣ = 25 miles

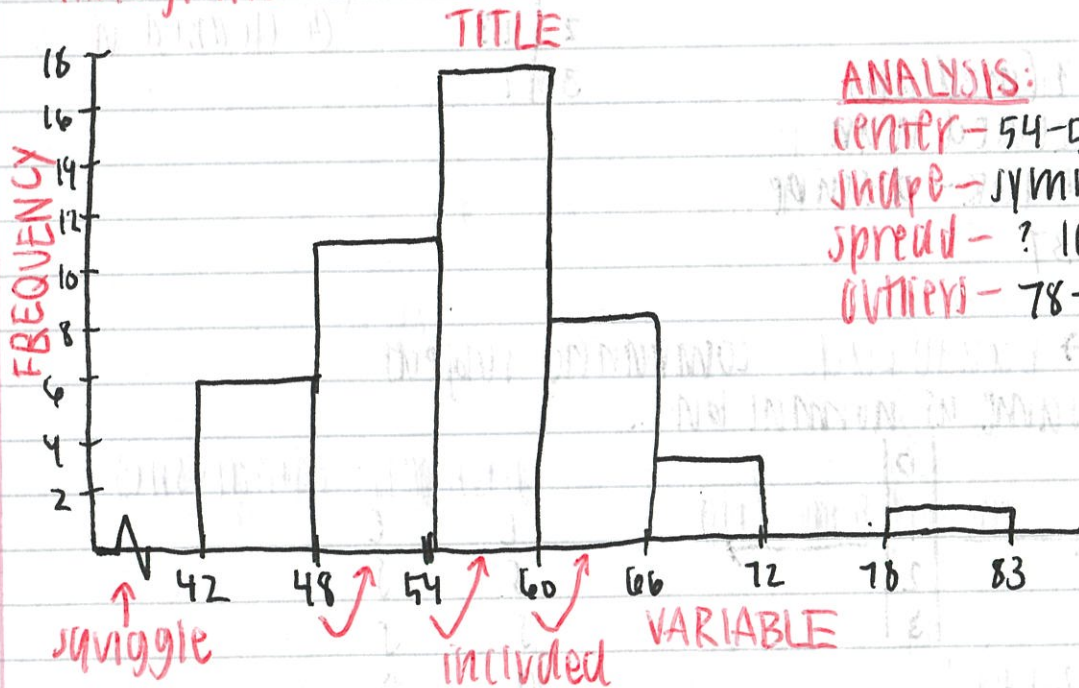
→ Example #2: presidents problem

class width = $\frac{\text{max} - \text{min}}{\text{classes}} = \frac{78 - 42}{7} = 5.14 \rightarrow \boxed{6}$

Frequency Table:

	Class	Tally	Freq.	Relative Freq.
1	42-47	## 1	6	$6/46 = 0.13$
2	48-53	### ## 1	11	$11/46 = 0.24$
3	54-59	##### 11	17	$17/46 = 0.37$
4	60-65	### III	8	$8/46 = 0.17$
5	66-71	III	3	$3/46 = 0.07$
6	72-77		0	$0/46 = 0$
7	78-83		1	$1/46 = 0.02$

Histogram:

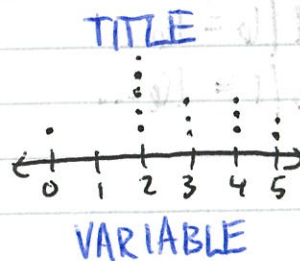


ANALYSIS:

- center - 54-59 (median)
- shape - symmetric / normal
- spread - ? IQR - *describe*
- outliers - 78-83

DOTPLOTS:

- good for quantitative data
- not good for high spread
- shows original, specific data!



ANALYSIS:

C
S
S
S
O

CHAPTER 3:

Chapter 3 Study Guide 10/17/2023

WHAT DOES "MEAN" MEAN??

measures of central tendency - arithmetic mean, median, mode, trimmed mean

THE AVERAGES (pretty average ngl)

MEAN (ARITHMETIC):

- \bar{x} = mean of a sample

- μ = mean of a population

$$\frac{\sum x}{n} = \frac{\text{sum of values}}{\# \text{ of values}}$$

- numerical values \rightarrow size matters

- Disadvantages: pulled/affected by outliers

MEDIAN:

- middle value when values are put in order small \rightarrow large

- Advantages: ignores outliers unlike arithmetic mean

MODE:

- categorical OR quantitative

- most often occurring value

- Advantages: ignores outliers

TRIMMED MEAN:

- mean that eliminates extremely low/high values

- Ex: 10% trimmed mean

$$\rightarrow 0.1 \times n$$

$0.1 \times 29 = 2.9 \rightarrow 3$ = trim 3 highest and lowest values

ROUNDING RULES!!

0. _____

1. _____

anything else. ____

MEASURES OF VARIATION

OVERVIEW: \rightarrow high - low (useless)

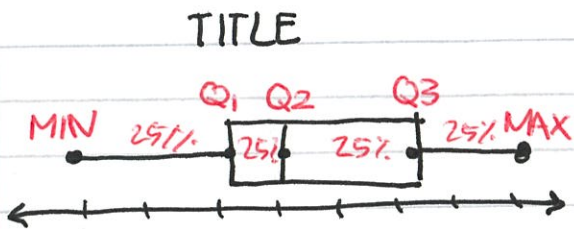
r = range \rightarrow CV = coefficient of variation \rightarrow IQR = inner quartile \rightarrow range

s = sample standard deviation / σ = population standard deviation

s^2 = sample variance / σ^2 = population variance

Chebyshev's theorem empirical rule

BOX-AND-WHISKER PLOT:



5# SUMMARY:

- MAX
- MIN
- Q1 P₂₅
- Q2 median P₅₀
- Q3 P₇₅

VARIABLE

- spread before OR after outliers
- (w/out outliers (if you want))

ANALYSIS:

C
S
S
O

$$Q_3 \pm 1.5(IQR)$$

An arrow points from the 'O' in the analysis column to this equation.

GOOD LUCK!